Small-scale disturbances in the stratigraphy of the NEEM ice core: observations and numerical model simulations

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Abstract

Disturbances on the centimetre scale in the stratigraphy of the NEEM ice core (North Greenland) can be mapped by an optical line scanner as long as the ice does have a visual layering, such as, for example, cloudy bands. Different focal depths allow, to a certain extent, a three dimensional view of the structures. In this study we present a detailed analysis of the visible folds, discuss their characteristics and frequency and present examples of typical fold structures. We also analyse the structures with regard to the deformation boundary conditions under which they formed. The structures evolve from gentle waves at about 1500 m to overturned z-folds with increasing depth. Occasionally, the folding causes significant thickening of layers. Their similar-fold shape indicates that they are passive features and are probably not initiated by rheology differences between alternating layers. Layering is heavily disturbed and tracing of single layers is no longer possible below a depth of 2160 m. C-axes orientation distributions for the corresponding core sections were analysed where available in addition to visual stratigraphy. The data show axial-plane parallel strings of grains with c-axis orientations that deviate from that of the matrix, which shows a single-maximum fabric at the depth where the folding occurs.

Numerical modelling of crystal viscoplasticity deformation and dynamic recrystallisation was used to improve the understanding of the formation of the observed structures during deformation. The modelling reproduces the development of bands of grains with a tilted orientation relative to the single maximum fabric of the matrix, and also the associated local deformation. We conclude from these results that the observed folding can be explained by formation of kink bands

1   Introduction

The NEEM (North Greenland Eemian Ice drilling) ice core, located at 77° 27' N 51° 3.6' W in the northwest of Greenland, has been drilled between June 2008 and July 2012. It is located on a topographic ridge, which dips towards the northwest so that the surface velocities on the ice divide have a non-negligible component of along ridge flow of about 6 m a^{-1} (NEEM community members, 2013). In July 2010 the bedrock was reached at 2537.36 m depth. The site has been chosen in order to recover an undisturbed Eem warm-period ice layer. However, it was found later that the ice below 2200 m was heavily disturbed and probably folded on a large scale (NEEM community members, 2013).

Visual stratigraphy of the NEEM ice core revealed folding also on a small scale, with fold amplitudes varying from less than 1 cm to a few decimetres (Samyn et al., 2011). These types of folds occur well above the large scale disturbances reported by the NEEM community members (2013). Similar structures have been found in the lower parts of other deep ice cores (Alley et al., 1997; Thorsteinsson, 1996; Svensson et al., 2005; Faria et al., 2010; Fitzpatrick et al., 2014). Stratigraphy bands are visualized by an indirect light source scattering on surfaces inside the ice, mainly particles and air bubbles / hydrates (Svensson et al., 2005). High impurity content is found in ice that originates from snow accumulated during glacial periods. Changing impurity contents between ice from glacial and interglacial periods have been linked to rheological differences (e.g. Paterson, 1991) and may lead to shear localization in distinct horizontal layers.

Due to their potential influence on the integrity of the climatic record, folds have been subject to modelling studies (e.g. Waddington et al., 2001). Thorsteinsson and Waddington (2002) explored the amplification of small disturbances in the layering of ice cores for isotropic and anisotropic conditions, investigating the potential for the existence of overturned folds near ice sheet centres. Azuma and Goto-Azuma (1996) concluded from their proposed anisotropic

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flow law formulation that an inclined single maximum fabric could lead to vertical strain even in simple shear and thus influence the stratigraphy. They also suggested that horizontal variations in the inclinations could then cause alternating thickening and thinning of layers, leading to folding or boudinage in the stratigraphy. However, the initial formation of the disturbances is not fully understood.

Here we present a characterisation of the small-scale folding observed in the NEEM ice core. Another feature occasionally observed along with folding in deep ice cores are "fabric stripes" (Alley et al., 1997). They describe bands of deviating grain orientations with respect to the surrounding matrix, which is essentially a single maximum fabric in regions where folding occurs. We discuss possible folding mechanisms and the link to the so called "Alley-stripes" in the crystal fabric of grains. Microstructural modelling with ELLE reproduces similar fabrics and fold structures to the ones we observe in the NEEM ice core.

2 Methods

The data used in this study were obtained by different observational methods, which will be introduced only briefly in the following section. For technical details we recommend to check the original literature cited in the subsections.

2.1 Linescan visual stratigraphy

The visual stratigraphy of the NEEM ice core was recorded by means of an automated linescan instrument (see Svensson et al. (2005) for a detailed description of the instrument and data from the North GRIP ice core). Clear ice appears dark when illuminated by an indirect light source. Dust particles or bubbles cause scatter of light and make the ice appear bright in the linescan image. A clear correlation between backscatter and dust content has been found in the North Grip ice core (Svensson et al., 2005). The method can be applied directly in the field and in the case of the NEEM ice core was applied continuously for the entire core, with a gap between 860 m and 1150 m, which corresponds to the brittle zone where the core quality did not allow preparation for the linescanner. For the NEEM ice core the linescan images were recorded with a standardised exposure time and three focal planes within the ice core section with a vertical distance of 1 cm (Kipfstuhl, 2010). This allows to a certain degree a three-dimensional mapping of the visible layering in the ice core. The data are stored in high-resolution (118 pixel per centimetre) bmp images. One drawback of this

92   method is, of course, that it only shows disturbances in the ice if scattering surfaces are
93   included. However, it is possible to even reveal structures at low dust content by means of
94   image processing and filtering.

2.2   Automated Fabric Analyzer

96   The crystal fabric orientation of discrete samples was measured using a G50 Automatic
97   Fabric Analyzer (Australian *Russell-Head* type, see e.g. Russell-Head and Wilson, 2001;
98   Peternell et al., 2010, data set: Weikusat and Kipfstuhl, 2010). Samples cut from the physical
99   properties part of the NEEM core were cut to 250 μm thin sections to measure c-axis crystal
100 lattice orientations by polarized light microscopy, where the thin section is placed between
101 systematically varying crossed polarizers (e.g. Wilson and Russell-Head, 2003). The data
102 coverage is much better than in previous ice cores with continuous sampling of selected core
103 sections (bags) to investigate meter-scale variations in fabric throughout the core. However,
104 due to the time-consuming preparation of the samples it was not possible to produce a
105 continuous record.

2.3   Microstructural modelling with ELLE and full field crystal plasticity

107 We use 2-D numerical modelling to investigate the development of strain localization in a
108 polycrystalline aggregate. At the moment it is not possible to combine simple shear and pure
109 shear boundary conditions. We chose simple shear boundary conditions as an approximation
110 for the in-situ conditions in the lower part of the ice shelf where the fabric stripes are
111 observed, and where horizontal shear is dominant. The simulation approach couples a full
112 field method based on the fast Fourier transform (FFT) that simulates viscoplastic
113 deformation, with a front-tracking codes that simulate dynamic recrystallisation processes
114 (DRX), included within the open-source numerical modelling platform ELLE
115 (http://www.elle.ws; Bons et al., 2008). ELLE has been successfully used to simulate
116 evolution of microstructures during deformation, such as recrystallization (Piazolo et al.,
117 2008; Roessiger et al., 2011; 2014) or strain localisation (Jessell et al., 2005; Griera et al.,
118 2011, 2013). The full-field crystal plasticity (FFT) code (Lebensohn, 2001; Lebensohn et al.,
119 2008; Montagnat et al., 2014a) simulates deformation by pure viscoplastic dislocation glide.
120 An experimental run consists of iterative applications of small increments ($\Delta\gamma$=0.04) of simple
121 shear deformation, each followed by a sub-loop of processes simulating dynamic
122 recrystallisation (grain boundary migration and recovery). While grain boundary migration

123 covers the motion of high-angle grain boundaries, recovery achieves a decrease in
124 intracrystalline heterogeneities by means of local rotation without motion of high-angle
125 boundaries. The recrystallisation sub-loop may be called more than once to simulate the
126 different balance between deformation and recrystallisation as a function of strain rate, since
127 all simulations are performed with the same intrinsic mobility value (M_0) and boundary-
128 diffusion activation energy (Q) (Roessiger et al., 2014; Llorens et al., in review). Exchange of
129 data between ELLE and FFT is possible, as both use periodic boundary conditions and the
130 physical space is discretised into a shared regular node mesh.

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132 The ELLE data structure consists of three layers: (1) a network of nodes (boundary nodes or
133 *bnodes*) that are connected by straight boundary segments that define the high-angle grain
134 boundaries that enclose individual ice grains, (2) a set of unconnected nodes (*unodes*) to map
135 lattice orientations and dislocation densities, used for the FFT calculation, and (3) a passive
136 marker grid utilised to track finite strain. Distances between nodes are kept between 5.5×10^{-3}
137 and 2.5×10^{-3} times the unit distance (in a 1x1 bounding box), by removing *bnodes* when their
138 neighbours are too close or adding *bnodes* when two nodes are too far apart. The space is
139 discretised in a mesh of 256x256 Fourier points, resulting in a unit cell defined by 65,536
140 discrete nodes. Each *unode* represents a small area or crystallite with a certain lattice
141 orientation, defined by Euler angles, and a dislocation density value. The ELLE data structure
142 has fully wrapping boundaries. The 10x10 cm^2 initial microstructure has 1632 grains, each
143 with a homogeneous lattice orientation, showing a c-axis preferred orientation almost
144 perpendicular to the shear plane, in order to simulate an intrinsic anisotropic material. The
145 misorientation between grains was set at <5º (i.e. initial noise). Dislocation glide of ice-single
146 crystal was defined by slip on the basal {0001}{11-20}, prismatic {1-100}{11-20} and
147 pyramidal systems {11-22}{11-23}. In these simulations, the ratio A of critical resolved shear
148 stress (CRSS) for non-basal versus basal slip systems was set to $A = 20$. The same stress
149 exponent ($n = 3$) is set for all slip systems. The physical values used for recrystallisation are:
150 intrinsic mobility M_0 (0.023 m^{2}kg^{-1}s; Nasello et al., 2005), boundary-diffusion activation
151 energy Q (40 KJ mol^{-1}; Thorsteinsson, 2002), isotropic surface energy γ_e (0.065 Jm^{-2};
152 Ketcham and Hobbs, 1969) and temperature was set to T=-30ºC. To simulate recovery
153 numerically, a modification of the approach proposed by Borthwick et al. (2013) was used.
154 As the time step for the simulation of recrystallisation is smaller than necessary for the

155 computationally expensive FFT-calculation, we modelled ten DRX steps of Δt=6.3x10^8 s for

156 each shear strain increment of $\Delta\gamma$=0.04, giving a shear strain rate of 6.35x10^{-12} s^{-1}.

157 Simulations with other shear strain rates were performed for comparison, but not presented

158 here. See Llorens et al. (in review) for a complete description of the methods.

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3   Results

3.1   Stratigraphy and fold classification

162 The stratigraphic data were visually inspected for all parts of the ice core containing cloudy

163 bands, in order to categorise disturbances of the visible layers. It has to be noted that this

164 method is only appropriate where sufficient layers are visible, since clear ice may have been

165 deformed as well. Figure 1 shows an overview of the layering structures we find in the NEEM

166 ice core. All images shown are confined to the core sections above the major disturbances in

167 the Eemian ice beginning at a depth of approximately 2200 m. Around this depth the ice is

168 heavily sheared and the layering becomes more and more diffuse. Below that it is no longer

169 possible to see fold structures in the visual stratigraphy data as the ice of the Eemian is mostly

170 clear . The panels display the scans of entire core sections of about 1.10 m, which were cut

171 into segments of 0.55 m after scanning. The top always represents the upper part of the core

172 segment. Some segments differ in length, as the recovered core pieces are not always exactly

173 1.10 m long. Some of the pieces also fractured during the recovery process or during

174 preparation, which is highlighted with red lines in figure 1. The images have been partly

175 processed by applying a Gauss filter to enhance the visibility of the layering, and therefore the

176 grey values are no absolute measure for impurity content or of other parameters that could

177 influence the backscatter within the ice.

178 The upper part of the NEEM ice core shows little or no disturbances. Figure 1a shows an

179 example from 1430 m depth with perfectly horizontal layers. The layer thickness and opacity

180 does vary in the core segment, and single layers have a constant thickness throughout the 10

181 cm wide core section. A close up of one of the layers shows no particular structure within it

182 (fig. 2a). According to the NEEM chronology published in Rasmussen et al. (2013), the

183 annual layer thickness changes from about 2 cm at 1500 m to less than 1 cm at 2000 m depth.

184 Below a depth of about 1700 m the structure of the layering begins to change, as examples

185 from depths of approximately 1760 m and 1867 m show (fig. 1b,c). Wave-like features with

cm-scale amplitudes and wavelengths in the order of the core diameter can be observed. In some parts of the core segments these disturbances can be clearly followed through several layers. Figure 2b shows an enlarged section of figure 1b, showing a well-developed asymmetric z-fold. Its shape indicates sinistral shear and the fold is beginning to overturn. The fold hinge is a sharp feature, which can be followed over several layers. The enlargements in figure 2b also show that the cloudy layers themselves appear to be laminated.

For the core sections shown in figure 1b,c the layers vary in thickness within the core, as can be clearly seen in figure 2b, where the central greyish layer (indicated with green dashed lines) nearly doubles its thickness in the centre of the image due to the folding. This shape is typical for so-called similar folds in geology (Ramsey et al., 1987). Figure 1d,e show examples from 1977 m and 2098 m depth, where the layering is significantly more disturbed. The vertical scale of the disturbances has risen to the scale of ten centimetres (fig. 2d,e). In between the larger-scale folds the layering appears to be more regular again, however the limited width of the core sections limits our interpretation here, as the layers could be overturned folds of which the limbs became near-horizontal due to a combination of the on-going shear and vertical thinning. Figure 2c shows a stack of flattened folds, where the doubling of layers may not be immediately obvious to the observer when focusing on the left part of the image Tracing one boundary between a clear and a cloudy band highlights that the thin layers are probably limbs of an overturned fold (indicated with a blue dashed line). There are also new generations of folds standing out through their well-defined and steeper axial planes and which are not yet overturned (fig. 2c, on the left, fold axis indicated with a green dashed line).

At even greater depth the layering becomes less distinct (fig. 1f,g,h). In some parts of these sections the layers appear to be undisturbed but inclined, which may indicate that they are part of a larger deformation structure. The now very thin layers still show new generations of folds.

3.2   Crystal fabric orientation anomalies connected to folds

In comparison to previous deep ice cores, the amount of data gathered to analyse ice fabric is relatively high. To investigate small-scale variations entire bags of 55 cm from certain depths were processed. The general evolution of ice fabric with depth in the NEEM ice core was described in Montagnat et al. (2014b). The c-axis orientation distribution develops more or

less linearly from an isotropic fabric to a single maximum at a depth of about 1400 m, which represents the transition from the Holocene to the last glacial (Rasmussen et al., 2013). Within the well-developed single maximum fabric we found inclined bands of grains with a deviating c-axis orientation. We assume that the bands are planar features, but as the thin sections are vertical cuts through the cylindrical core section the inclination of the bands is not necessarily equal to the inclination of the planes. Similar bands were described in the GRIP ice core (Thorsteinsson, 1996) and the GISP2 ice core (Alley et al., 1997). In case of the NEEM ice core, however, significantly more fabric data are available, which enables us to follow these structures through entire core sections.

One of the first examples of such a band, shown in figure 3a, appears at a depth of 1800 m. The c-axis orientation of grains within the bands is tilted anti-clockwise relative to the single maximum, which is indicated by the blue-greenish colours in the colour wheel used to illustrate c-axis orientation (inset in figure 3a). The grain size does not differ from the average grain size of the sample. The subgrain boundary density in these grains does not differ significantly from the surrounding ones, which indicates that they are most likely not newly nucleated grains (fig. 4). However, while the subgrain boundaries in grains with vertical c-axes are mostly parallel to the basal planes, they are mainly perpendicular to the basal plane in grains within the band, indicating the onset of rotation recrystallisation.

The direct comparison of the fabric data with the line scan images (figure 3) reveals that these bands are connected with disturbances in the layering. The inclination is in agreement with the sense of shear that is derived from the asymmetry of the folded layers. However, layer disturbances are not always visible where fabric anomalies are found.

In figure 5a,b,c the three linescan images available from the different focal depths are plotted next to each other to illustrate the three-dimensional nature of the observed folding in the layering. The shape change of the highlighted layer indicates that the fold axis shifts to the left towards the centre of the core (fig. 5e). The thin sections for the fabric analysis are prepared from the physical properties sample in the upper part. The linescan measurement is performed on the remaining part of the core with 1 cm between the different focal planes (fig. 5d).

Figure 6 shows an example from approx. 1978 m depth where we see finely laminated layers and asymmetric folds that indicate dextral shear. The fold hinges indicated by the arrows are not very distinct, which is probably due to light diffusion caused by the distorted fine layers.

249 The two distinct bands in the right half of figure 6a are relatively steep and exhibit a small tilt
250 in the c-axes, while the feature indicated by the central arrow is more flattened and also shows
251 a higher tilt in the c-axes. Another example can be found in the supplementary material
252 (figure S1). Where several bands occur in one core section, their inclination and orientation
253 appears to be consistent throughout (fig. 7).

3.3 Model results

255 To understand the development of the observed fabric anomalies and the related disturbances
256 in the layering, we simulated the fabric evolution under simple shear with an initially well-
257 developed single maximum orientation distribution. A random noise of <5° was added to
258 grain orientations. The setup of the simulation does not fully represent the probable kinematic
259 boundary conditions in the region of the ice core where we observe the structures, which
260 would be a combination of vertical compression and simple shear (Montagnat et al., 2013).
261 We, however, model these structures in simple shear for simplicity. This approach is
262 reasonable, since there is a significant flow along the ridge of about 6 m a^{-1} (NEEM
263 Community Members, 2013), which gives the core location the character of a flank with
264 relatively high shear strain rates, rather than a divide. Moreover, the choice of simple-shear
265 boundary conditions is also justified by the fact that the bands start to appear in the lower
266 third of the ice sheet where shear stress becomes the dominant driver for deformation
267 (Montagnat et al., 2013). However, there might be aspects of the evolution of the folds that
268 cannot be reproduced due to the simple shear approximation.

269 In the model simulation vertical bands similar to the ones observed in the ice core begin to
270 stand out after a shear strain of γ = 0.6, but start to appear already after small strains
271 (supplementary material figure S3). In the initial conditions the small deviations of the c-axes
272 from the vertical are randomly distributed and do not show alignment (figure S3 a). During
273 the first deformation steps narrow vertical bands develop with deviations from the single
274 maximum towards the shear direction as well as broader bands with an opposite rotation of
275 the c-axes. The rotation of c-axes in the narrow bands intensifies during the next steps and the
276 bands begin to tilt due to the continuing shear deformation (supplementary material figure
277 S2). The rotation of the c-axes is twice the inclination of the band, which is typical for
278 flexural-slip kink bands (supplementary material figure S4; Dewey, 1965; Tanner, 1989).
279 Figure 8a,b,c shows the c-axis orientations for the sample after shear strains of γ=1, γ=2 and
280 γ=3. The bands seem to develop in different generations, which can be distinguished by their

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inclination as the new bands are steeper. There are areas between the bands where orientations of c-axes rotate anti-clockwise (magenta coloured), but on a larger scale and with less well-defined boundaries. In later stages of the simulation the oldest bands begin to disintegrate with the grains recrystallizing back to a vertical c-axis fabric.

Figure 8d,e,f shows the development of a passive marker grid during the simulations. The blue lines were perfectly horizontal at the beginning of the simulation and can be regarded as an analogue to the stratigraphic layering observed in the ice core. It is apparent that the bands with abnormal grain orientation are connected with folding in the layering. At first these disturbances appear as small steps, but they develop into overturned folds with a short and steep limb with progressive deformation. They correspond to the well-developed bands in the fabric, and to a long, less inclined limb, representing the area in between the bands. The disturbances in the layering are permanent, and therefore the bands are visible in the passive grid even when they no longer exist in the orientation plot. The rotation rate of the kink bands in the model run is controlled by the applied overall perfect simple shear deformation. If there is an additional component of vertical shortening, as in a natural ice sheet, the rotation rate is expected to increase.

Figure 8g,h,i shows the equivalent von Mises strain-rate for the deformation steps $\gamma=1$, $\gamma=2$ and $\gamma=3$. The strain-rate appears to be localized around the margins of the bands where bending strain is the highest, which is most apparent for newer bands with steep inclinations. One also sees that strain rate localises in horizontal zones as well, which is not visible in passively deformed horizontal lines (fig. 8d-f).

4   Discussion

4.1   General discussion of folds

The shape of the observed folds in the NEEM ice core is typical for similar folds, as the layers are thickened in the hinge region and thinned in the fold limbs. Similar folds are passive features, where all layers of the package are deformed in a similar way (fig. 9a). They form by passive shearing of the layering and can evolve to become overturned z-folds or even sheath folds (Quinquis et al., 1978; Bons and Urai, 1996; Alsop and Carreras, 2007). Competence or viscosity contrast between the different layers plays no or only a minor role. In contrast, buckle folds (fig. 9b) develop when layers have different viscosities. A competence contrast

with a ratio of at least about 25 between strong and weak layers is required to develop distinct folds (Llorens et al., 2013a,b). When a stack of strong and weak layers is shortened, the strong layers form folds by bending, which suppresses thickening or thinning of these layers. The weak layers accommodate this bending by ductile flow into the hinge regions, a process known as flexural flow (Donath and Parker, 1964). Strong and weak layers are thus different in shape (fig. 9b). The folding shapes observed in the NEEM core, however, appears to be consistent in a stack of several layers (figs.1 and 2), which indicates that viscosity contrast are very low and the folds formed by passive shearing, although there may be differences in the flow strength of the ice between the layers due to different impurity content (Paterson, 1991).

Figure 10 gives an overview of the onset of folding (black line) and the evolution of an anisotropic fabric (red line) for several ice cores. Comparison with data from EDML (Faria et al., 2010) and WAIS (Fitzpatrick et al., 2014) in Antarctica and with GRIP (Thorsteinsson, 1996), GISP2 (Alley et al., 1997; Gow et al., 1997) and North GRIP (Svensson et al., 2005; Wang et al., 2006) from Greenland reveal that the onset of visible folding is dependent on the relation between vertical strain rates (shortening) and shear strain rates (figure 10). Due to the high vertical strain rates, fold structures are flattened out before they overturn, and are thus no longer visible. This has been theoretically described by Waddington (2001). Thus, the dynamical setting of the borehole location is, in addition to the anisotropy, an essential parameter for the onset of visible folding. An ice core at flanks or on divides with non-negligible flow along the ridge, samples ice which experiences more shear strain than an ice core at dome positions. While the GISP 2 and North GRIP ice cores are very similar in ice thickness and accumulation rate to GRIP, the onset of folding for the latter is 300 m deeper, which may be due to its dome position and the lower surface velocity (for a comparison of ice core parameters see Faria et al. (2014)). In the region of the NEEM ice core there is an even higher along-ridge flow. A comparison of shear strain rates profiles with depth at the NEEM, GRIP and North GRIP locations can be found in Montagnat et al. (2014b). The depths of the crossing points of the curves for shear and vertical strain rates that is displayed in Montagnat et al. (2014b) corresponds approximately to the onset of folding in the cores.

The EDML ice core stands out in the comparison shown in figure 10, as the folding begins significantly higher than the establishment of a single maximum fabric. However, Faria et al. (2010) report that a strong girdle fabric has formed in the region of the onset of folding, thus the fabric does show some anisotropy there as well.

344 The scale of the disturbances found in the layering of the NEEM ice core is very similar to the

345 ones observed at EDML (Faria et al., 2010) and North GRIP (Svensson et al., 2005), for both

346 of which a linescan dataset of comparable quality as for the NEEM ice core is available.

347 The very deep onset of folding in the WAIS ice core might be due to strong basal melting at

348 this site (Fitzpatrick et al., 2014; WAIS Divide Project Members, 2013).

349 **4.2 Kink bands as a source for folding**

350 Ice is a mechanically highly anisotropic mineral, as is polycrystalline ice with a strong single-

351 maximum c-axes distribution. Kinking has been observed in single ice crystals as well as in

352 polycrystalline aggregates under compression (Wilson et al., 1986). Kink bands are also

353 common in well-foliated rocks, which therefore exhibit a strong mechanical anisotropy

354 (REFS). There are basically two mechanisms for the formation of kink bands (Dewey, 1965),

355 which may act in concert. The first is shear localisation, which occurs approximately parallel

356 to the planes that experience the highest net shear stress. The result is a conjugate set of kink

357 bands, originally at a high angle to each other. The second mechanism is a combination of

358 localised bending and flexural slip. There is no thickening or thinning perpendicular to the

359 foliation if the material can only deform by slip parallel to that foliation. A geometric

360 necessity of this type of folding is that the axial plane must be the bisector of the interlimb

361 angle (fig. 9c) (Frank and Stroh, 1952; Dewey, 1965; Cobbold et al., 1971). With the

362 interlimb angle at the beginning of folding being 180°, the kink bands initiate at 90° to the

363 foliation.

364 Simple shear parallel to a foliation is a special case where the orientations of kink bands

365 formed by both mechanisms is identical: 45° to the maximum compression, which coincides

366 with parallel and perpendicular to the foliation. Foliation-normal kink bands have indeed been

367 observed in simple shear experiments (Misra and Burgh, 2012; Williams and Price, 1990),

368 and developed in our numerical model. Kink bands parallel to the foliation are difficult to

369 observe in natural samples, as these would not fold the foliation. However, the numerical

370 model shows shear-plane parallel localisation of strain rate as well (Fig. g-i).

371 Kink bands rotate passively, if there is a layer-parallel shear component, which does not

372 necessarily have to be the dominant deformation component. As the kink band rotates by an

373 angle α to the long limb, the short limb has to rotate by 2α, as is observed in the NEEM core

374 and numerical simulations (fig. 8d,e,f). Alley et al. (1997) suggested that the rotation of the c

axes of grains in the stripes lag behind the rotation of the bands themselves, while our model results are following the relation typical for kink bands, with c-axes rotating twice as fast as the axial plane or stripe (supplementary figure S4). Alley et al. 1997 explained the growth in length by the sense of shear at the perimeter of the stripe, which would cause a "spinning" to adjacent grains, causing their c-axes to rotate towards the inclination of the band and thus elongate it. In our numerical model we observe that kink bands are seeded by individual grains and develop by linking these (fig S3). However, their intensification under rotation appears to propagate along their length (fig. S4).

With progressive rotation of the kink bands they become more distinct. Rotation of the short limb occurs by sliding parallel to the basal plane with a sense opposite to the overall shearing direction (fig. 9c). Kink bands finally "lock up" when the interlimb angle reduces to 90°, i.e. when the kink bands are approximately 45° to the layering. In the numerical simulations we see that kink bands begin to disintegrate at this stage, with recrystallization and recovery consuming the grains with deviating orientations and flow homogenizing again (see fig. 8). However, marker lines, such as the layers in the NEEM core, will still record the kink bands, which now continue shearing and develop into passive folds.

In summary, the model results indicate that the evolution of kink bands is a consequence of a fabric with a strong anisotropy with superimposed small random disturbances. In this way grains orientated unfavourably for basal glide are rotated by rigid body rotation and internally reversed shear into a more favourable position in relation to the bulk shear strain. Thus, kinking appears to be an essential process in ice deformation under shear.

Azuma and Goto-Azuma (1996) suggested that horizontal variation in the single maximum direction could explain heterogeneous layer thinning or thickening of initially horizontal layers, eventually leading to folding. The development of kink bands is a process providing such variations in the fabric.

A difficulty in comparing the results of the simulation with the observational data is that with fabric measurements we can only capture a 2-dimensional section of a 3-dimensional feature. Assuming that the kink bands are planar features, the angle at which the cylinder of the ice core is cut relative to the inclination of the plane determines its appearance in the 2-dimensional section. Thus, the inclination of the observed bands in the plane is not sufficient to describe the full orientation of the kink-band plane, but instead gives a minimum

inclination of the plane. This also has to be taken into account when interpreting the fold structures on the linescan images.

Within one 55cm section of the ice core (bag) the cutting plane through the core is consistent and so are the samples used to prepare the thin sections for the fabric measurements. Figure 7 shows that within one bag the inclinations of the kink bands are consistent as well, strengthening the assumption that they are connected to the local stress environment and to the sense of shear, projected onto the plane of the thin section or linescan image. A consistency between the direction of shear and the shape of z-folds in the stratigraphy has been also reported for the GRIP and GISP2 ice cores (Alley et al., 1995). In both examples displayed in figure 7 different generations of kink bands can be detected, differing in inclination of the bands as the older bands have been subjected to more shear strain since their formation, and the corresponding shift in c-axes orientation, as it is seen in the model results as well.

The mechanism of kinking as a trigger for stratigraphic disturbances has already been suggested by Samyn et al. (2011). Together with the microstructural model results the observations can be interpreted with an improved understanding of the kinking process. Alley et al. (1997), who described similar bands in the GISP2 ice core, state that the observed bands are most likely not kink bands, as they would require a compressional regime in the horizontal direction. However, the model results clearly show that kink bands can form in simple shear conditions. At the moment it is not clear why the bands sometimes appear dark in the linescan images, but from deeper parts of the core where the crystals are larger in size the linescan images give indication the backscattering can be subject to the crystal orientation.

5   Summary and conclusions

The onset of small-scale folding can be observed at the start of the lower third of the NEEM ice core, which is similar to the fold evolution observed in EDML. Below a depth of about 2160 m it is no longer possible to track stratigraphic layers. The shape of the observed structures indicates that they are not buckle folds, which means that they are not originated by a competence contrast between alternating layers. The amounts of folding as well as the state of disturbance increase with depth.

Folding causes thickening of cloudy bands and can potentially influence the resolution of climate data extracted from the NEEM ice core. Folding causing doubling of layers was observed below a depth of about 2100 m. In some core sections the layering appears to be intact in between larger folds in the linescan data. However, within a core section, only folds and doubling of layers up to the scale of 10 cm can be delineated with certainty. It is therefore difficult to ascertain that the climate signal is not disturbed in regions with parallel layering, as these could potentially be part of larger-scale folds.

Microstructural numerical modelling results indicate that the observed folding is initiated by kinking. The onset of kinking requires a highly anisotropic material and thus a well developed single maximum fabric. Local deviations from the single maximum in the direction of shear provide the seeds for kink band development and thus folding. Here we have shown that this process is active on the microstructural scale. Their possible link to larger scale folds still has to be investigated, but could be in line with suggestions by Azuma and Goto-Azuma (1996). Grains with inclined basal plane orientations within the kink bands are eventually eroded through recrystallisation and recovery. However, the kink bands formed folds in material planes that further evolve by passive folding, which is is visible in the layering, but not in the c-axes patterns.

469

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613

Figure Captions

Figure 1: Visual stratigraphy overview. Linescan images of different depths. A Gauss filter was applied to images shown in panel a, d, e, f, g, and h to enhance the visibility of the layers. Red lines indicate fractures. Blue squares and associated figure codes indicate location of enlargements shown in figure 2. The 1.10 m line at the right indicates the scaling of the images and is also the typical length of a recovered core section.

Figure 2: Close-ups from the overview figure 1. (a) Undisturbed layering. (b) Angular z fold consistent throughout layering. Green dashed line indicates a layer discussed in section 3.1 (c) Different generation of folds. The dashed lines indicate features discussed in section 3.1 (d) Strongly disturbed layer significantly thickened. (e) Strongly disturbed layering with different generations of folds.

Figure 3: Comparison of fabric data and visual stratigraphy in detail, Bag 3276, approximate depth 1803 m. (a) fabric data in a vertical section, (b) linescan image in a vertical section, (c) stereoplot of c-axes orientations (horizontal plane).

Figure 4: (a) Close-up of kink band grains at approximately 1803 m depth (bag 3276). Inset shows the colour code for c-axes orientation (b) subgrain structures (blue) visible on LASM (Large Area Scanning Macroscope) data. Black lines indicate grain boundaries; the red outlines highlight the kink band grains.

Figure 5: Linescan images from the same sample as shown in fig. 3 from three focal depths with one highlighted layer (a) close to the surface, (b) in the centre of the core section, (c) close to the lower surface. (d) Sketch of the core sections, the upper part represents the physical properties sample, from which the thin sections are prepared. (e) Change of shape of the highlighted layer for the different foci.

Figure 6: Comparison of fabric data and visual stratigraphy in detail, Bag 3596, approximate depth 1977.8 m. (a) fabric data in a vertical section, (b) linescan image, in a vertical section (c) stereoplot of c-axes orientations (horizontal plane).

**Figure 7:** Comparison of entire 55 cm core sections (full bags) of linescan (a, d) and fabric data (b,c).

Figure 8: ELLE model results for the simple shear experiment. Panels (a), (b) and (c) show c-axes orientations for shear strains of $\gamma=1$, $\gamma=2$ and $\gamma=3$. Panels (d), (e) and (f) show the

644 distortion of the passive grid marker. Panels (g), (h) and (i) show the equivalent von Mises
645 strain-rate field.

646 **Figure 9:** Basic folding mechanisms discussed in the text. (a) Passive folds form by shearing
647 of disturbances in layering, without an active mechanical influence of that layering. Fold
648 geometry is that of similar folds. (b) Buckle folds form by shortening of alternating strong and
649 weak layers, in which the strong layers buckle and weak material flows into fold hinges. Fold
650 geometry is that of parallel folds. (c) Kink bands form in case of strong intrinsic anisotropy,
651 but do not require viscosity contrasts between layers.

652 **Figure 10:** Comparison of the onset of visible folding in ice cores with published visual
653 stratigraphy. The red line indicates single maximum fabric, the black line indicates onset of
654 folding, the dashed black line indicated the lower third of the ice core. Data from
655 Thorsteinsson, 1996 (GRIP), Alley et al., 1997; Gow et al., 1997 (GISP2), Svensson et al.,
656 2005; Wang et al., 2006 (North GRIP), Faria et al., 2010 (EDML), Fitzpatrick et al., 2014
657 (WAIS).

658

659

1430 m 1760.55 m 1.867.25 m 1977.25 m 2098.8 m 2131.25 m 2147.75 m 2175.25 m

(a) (b) (c) (d) (e) (f) (g) (h)

1.10 m
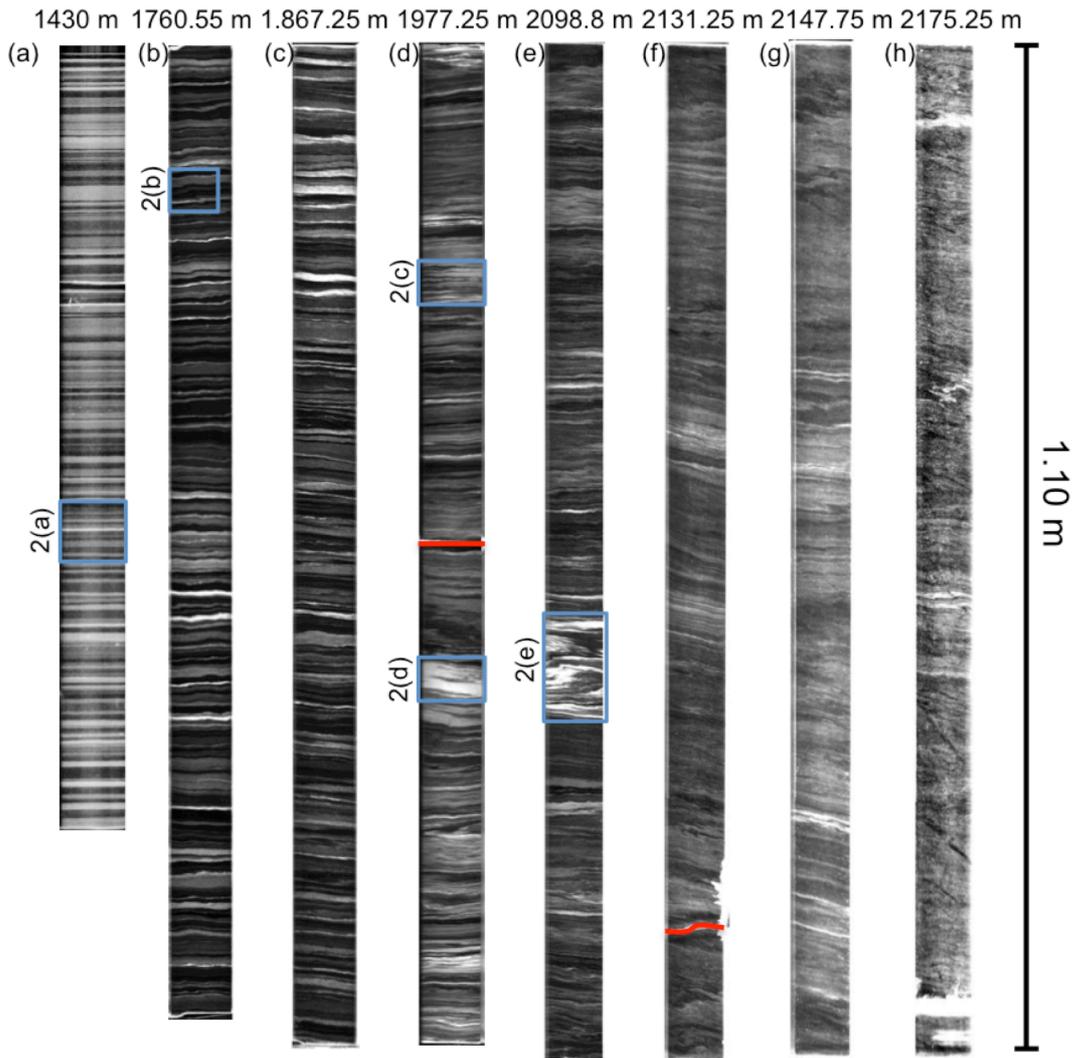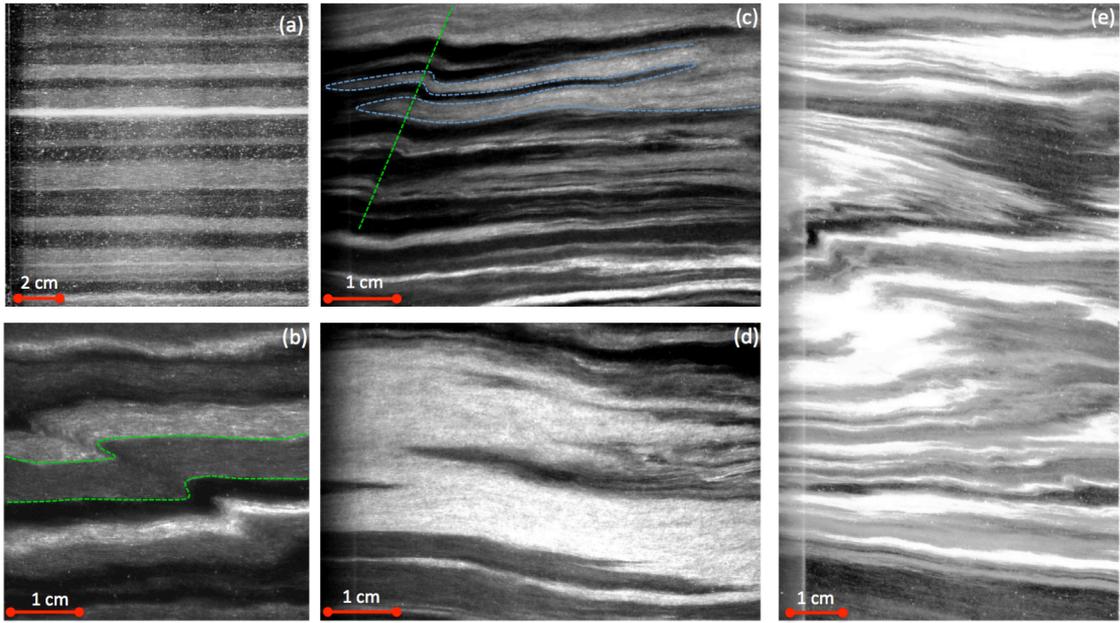
Figure 1

663
664   Figure 2
665
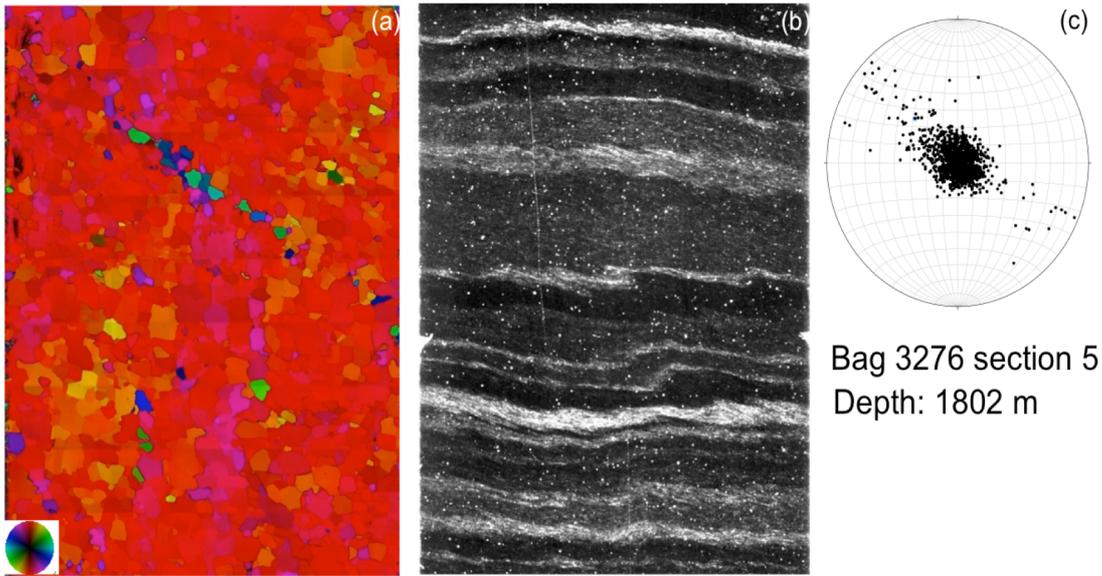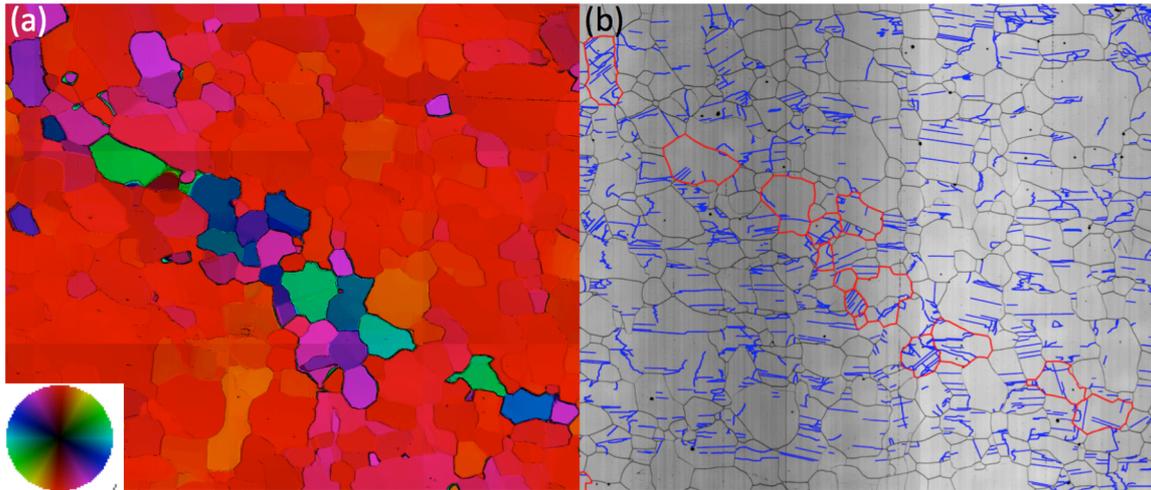
Figure 3

669
670   Figure 4
671

Bag 3276 section 5　　Depth: 1802 m

Bag 3596 section 2
Depth: 1977.8 m
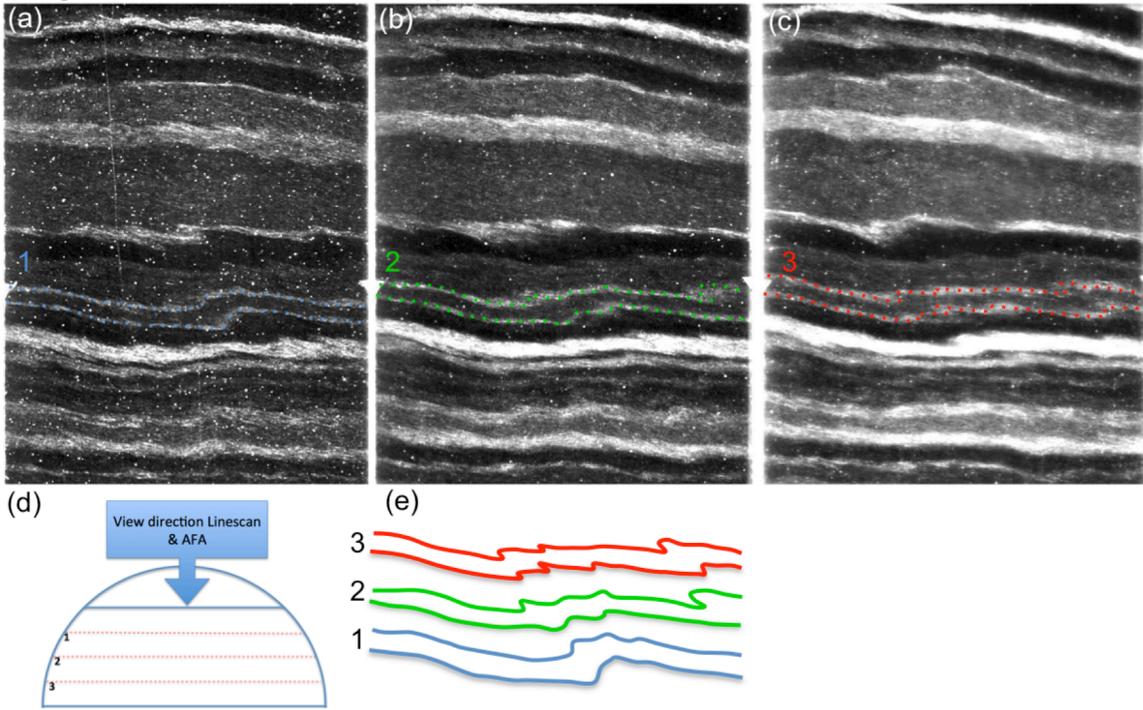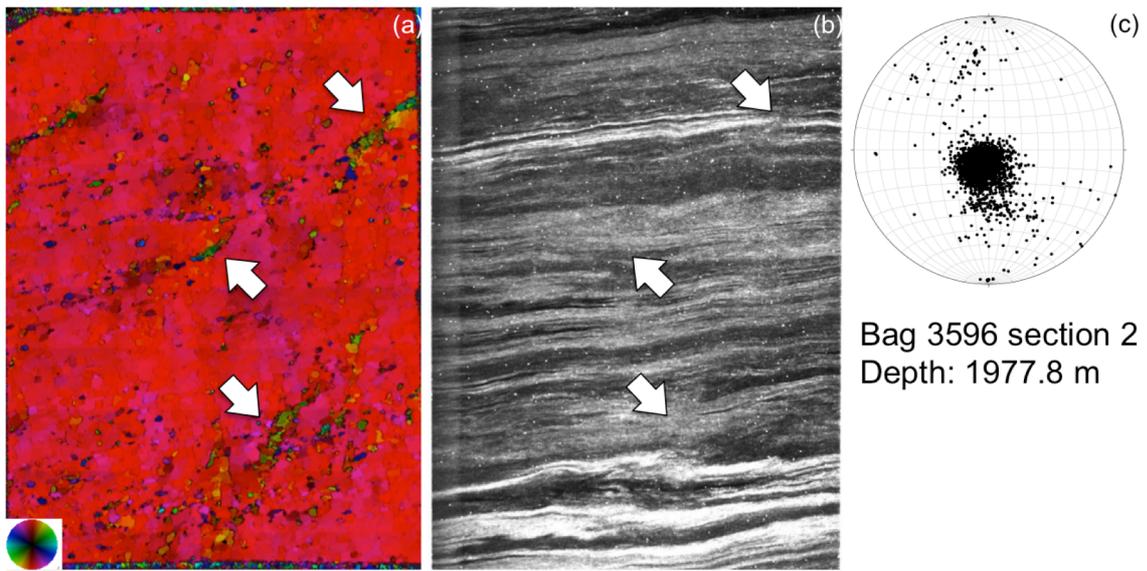
674   Figure 6
675
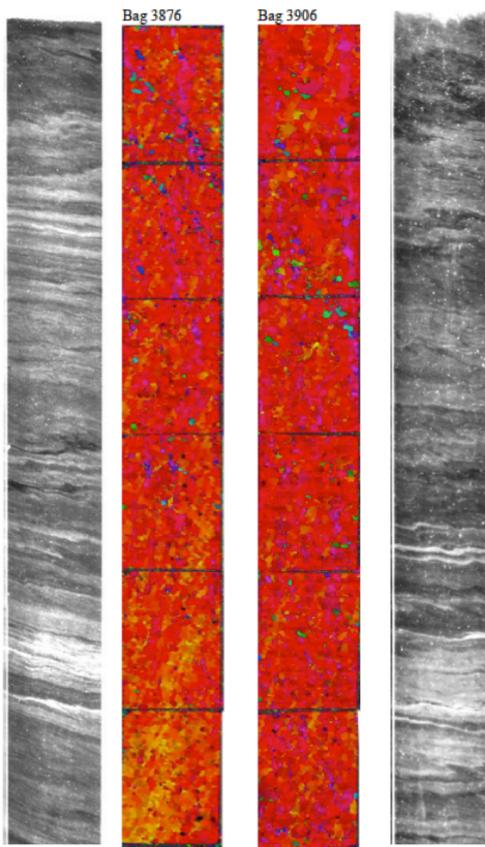
676   Figure 7
677

678   Figure 8

679

γ =0.5 γ =1.0

no viscosity contrast no anisotropy **(a)** passive folds

viscosity contrast no anisotropy **(b)** weak strong — buckle folds (flexural flow)

no viscosity contrast anisotropy **(c)** α α kink bands (flexural slip)
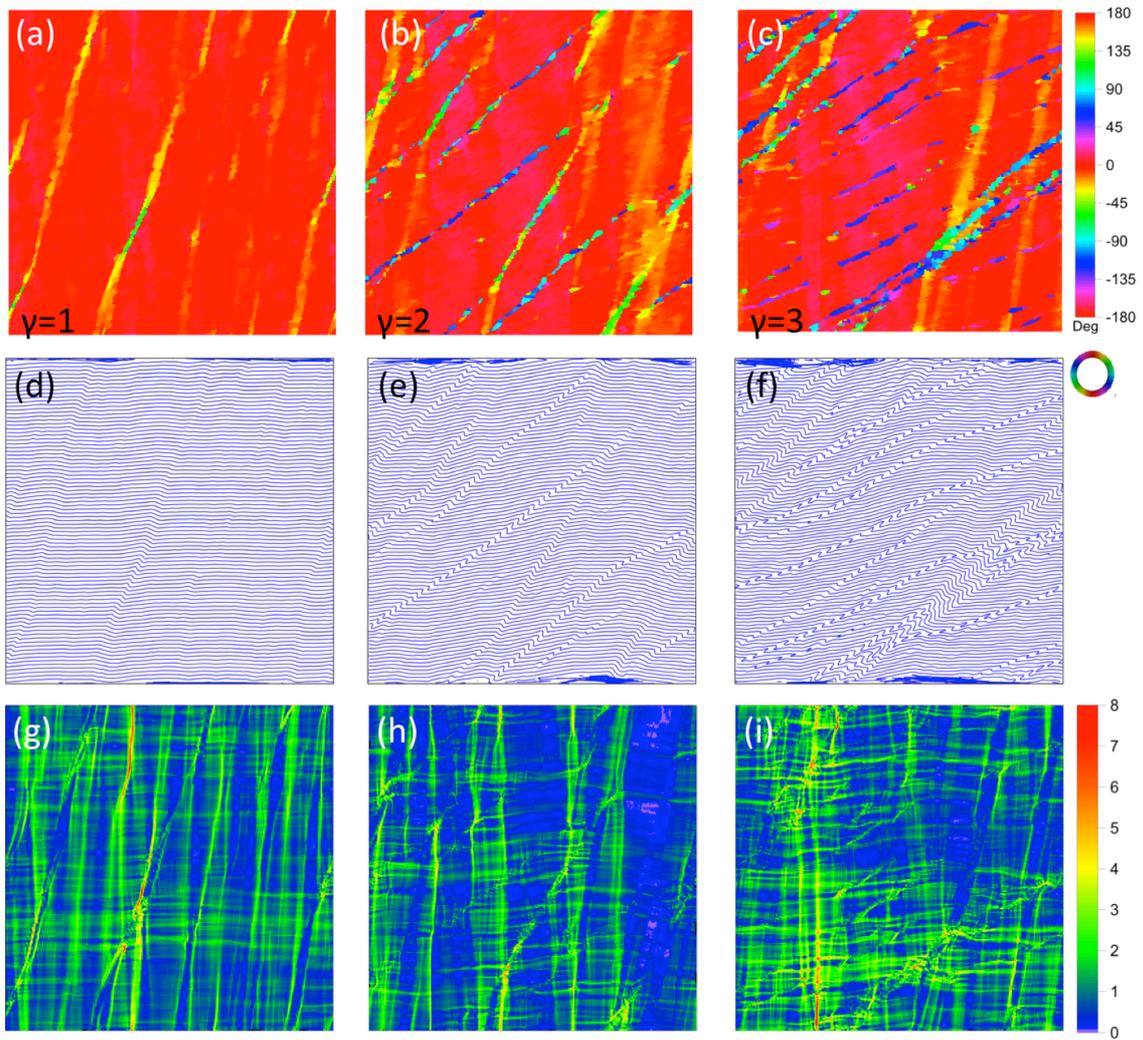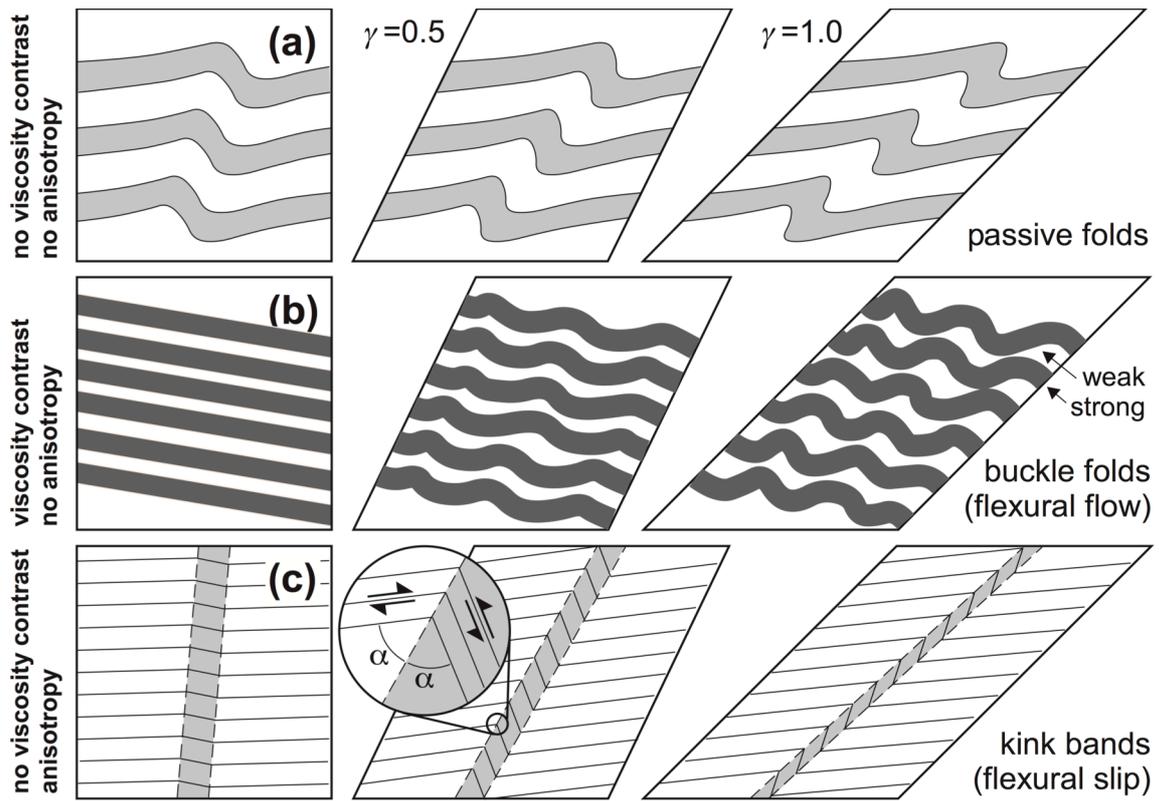
680 Figure 9
681

31

682   Figure 10
683
684
685